

```

> assume(Vm, positive);
> V1:=Vm*cos(theta);
      V1 := Vm~ cos(θ)
> V2:=Vm*cos(theta-2*Pi/3);
      V2 := -Vm~ cos(θ + 1/3 π)
> V3:=Vm*cos(theta-4*Pi/3);
      V3 := -Vm~ sin(θ + 1/6 π)
> Vrms:=sqrt(1/(2*Pi)*int(V1**2,theta=0..2*Pi));
      Vrms := 1/2 √2 Vm~
> evalf(Vrms);
      .7071067810 Vm~
> VV13:=1/(2*Pi)*int((V1-V3)**2,theta=0..2*Pi);
      VV13 := 3/2 Vm~^2
> V13:=sqrt(VV13);
      V13 := 1/2 √6 Vm~
> evalf(V13);
      1.224744872 Vm~
> VVdc:=1/(Pi/3)*int((V1-V3)**2,theta=0..Pi/3);
      VVdc := 3 (3/4 √3 Vm~^2 + 1/2 π Vm~^2) / π
> Vdc:=simplify(sqrt(VVdc));

```

$$V_{dc} := \frac{1}{2} \frac{\sqrt{3} V_{m\sim} \sqrt{3\sqrt{3} + 2\pi}}{\sqrt{\pi}}$$

> evalf (Vdc) ;

$$1.655442544 V_{m\sim}$$

> Vdc/V13 ;

$$\frac{1}{6} \frac{\sqrt{3} \sqrt{3\sqrt{3} + 2\pi} \sqrt{6}}{\sqrt{\pi}}$$

> evalf (Vdc/V13) ;

$$1.351663177$$

> Vdc/Vm ;

$$\frac{1}{2} \frac{\sqrt{3} \sqrt{3\sqrt{3} + 2\pi}}{\sqrt{\pi}}$$

> evalf (Vdc/Vm) ;

$$1.655442544$$

> VYdc := 1 / (Pi/3) * int (V1**2, theta=0..Pi/3) ;

$$VYdc := 3 \frac{\frac{1}{8} \sqrt{3} V_{m\sim}^2 + \frac{1}{6} \pi V_{m\sim}^2}{\pi}$$

> VYdc := simplify (sqrt (VYdc)) ;

$$VYdc := \frac{1}{4} \frac{\sqrt{2} V_{m\sim} \sqrt{3\sqrt{3} + 4\pi}}{\sqrt{\pi}}$$

> evalf (VYdc) ;

$$.8406832550 V_{m\sim}$$

> VYdc/V13 ;

$$\frac{1}{12} \frac{\sqrt{2} \sqrt{3\sqrt{3} + 4\pi} \sqrt{6}}{\sqrt{\pi}}$$

> evalf (VYdc/V13) ;

$$.6864150034$$

```

> VYdc/Vm;

$$\frac{1}{4} \frac{\sqrt{2} \sqrt{3} \sqrt{3} + 4 \pi}{\sqrt{\pi}}$$

> evalf (VYdc/Vm) ;
.8406832550
> VYYdc:=1/(Pi/6)*int (V1**2,theta=0..Pi/6) ;

$$VYYdc := 6 \frac{\frac{1}{8} \sqrt{3} Vm^2 + \frac{1}{12} \pi Vm^2}{\pi}$$

> VYYdc:=simplify (sqrt (VYYdc)) ;

$$VYYdc := \frac{1}{2} \frac{Vm \sqrt{3} \sqrt{3} + 2 \pi}{\sqrt{\pi}}$$

> evalf (VYYdc) ;
.9557701980 Vm~
> VYYdc/V13 ;

$$\frac{1}{6} \frac{\sqrt{3} \sqrt{3} + 2 \pi \sqrt{6}}{\sqrt{\pi}}$$

> evalf (VYYdc/V13) ;
.7803830990
> VYYdc/Vm ;

$$\frac{1}{2} \frac{\sqrt{3} \sqrt{3} + 2 \pi}{\sqrt{\pi}}$$

> evalf (VYYdc/Vm) ;
.9557701980
> plot ([V1,V2,V3,Vrms,-Vrms],theta=0..2*Pi);
Plotting error, empty plot
> plot ([V2-V3,V13,-V13],theta=0..2*Pi);

```

```

> Vm:=16.0*sqrt(2);
      Vm := 16.0√2
> V1:=Vm*cos(theta);
      V1 := 16.0√2 cos(θ)
> V2:=Vm*cos(theta-2*Pi/3);
      V2 := -16.0√2 cos(θ + 1/3 π)
> V3:=Vm*cos(theta-4*Pi/3);
      V3 := -16.0√2 sin(θ + 1/6 π)
> Vrms:=sqrt(1/(2*Pi)*int(V1**2,theta=0..2*Pi));
      Vrms := 28.35926162√(1/π)
> evalf(Vrms);
      16.00000000
> VV13:=1/(2*Pi)*int((V1-V3)**2,theta=0..2*Pi);
      VV13 := 2412.743159/π
> V13:=sqrt(VV13);
      V13 := 49.11968199√(1/π)
> evalf(V13);
      27.71281292
> VVdc:=1/(Pi/3)*int((V1-V3)**2,theta=0..Pi/3);
      VVdc := 4408.065690/π
> Vdc:=simplify(sqrt(VVdc));
      Vdc := 37.45838875

```

```

> evalf (Vdc) ;
37.45838875
> Vdc/V13 ;
.7625942847
      
$$\frac{.7625942847}{\sqrt{\frac{1}{\pi}}}$$

> evalf (Vdc/V13) ;
1.351663177
> Vdc/Vm ;
1.170574649  $\sqrt{2}$ 
> evalf (Vdc/Vm) ;
1.655442544
> VYdc:=1/(Pi/3)*int (V1**2, theta=0..Pi/3) ;
      
$$VYdc := \frac{1136.801474}{\pi}$$

> VYdc:=simplify (sqrt (VYdc)) ;
      
$$VYdc := 19.02249058$$

> evalf (VYdc) ;
19.02249058
> VYdc/V13 ;
.3872681949
      
$$\frac{.3872681949}{\sqrt{\frac{1}{\pi}}}$$

> evalf (VYdc/V13) ;
.6864150034
> VYdc/Vm ;
.5944528305  $\sqrt{2}$ 
> evalf (VYdc/Vm) ;
.8406832549
> VYYdc:=1/(Pi/6)*int (V1**2, theta=0..Pi/6) ;

```

$$VYYdc := \frac{1469.355230}{\pi}$$

```
> VYYdc:=simplify(sqrt(VYYdc));
VYYdc := 21.62661083
```

```
> evalf(VYYdc);
21.62661083
```

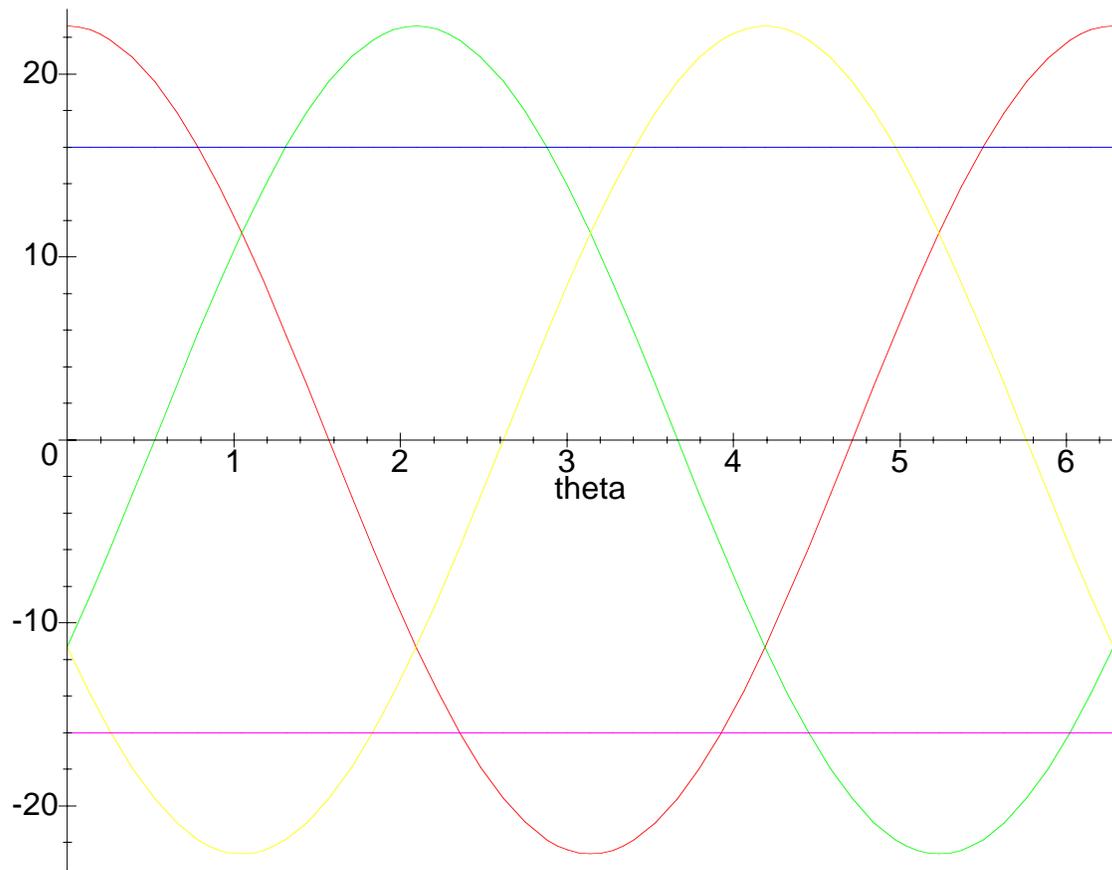
```
> VYYdc/V13;
.4402840156
-----
      1
     /
    pi
```

```
> evalf(VYYdc/V13);
.7803830990
```

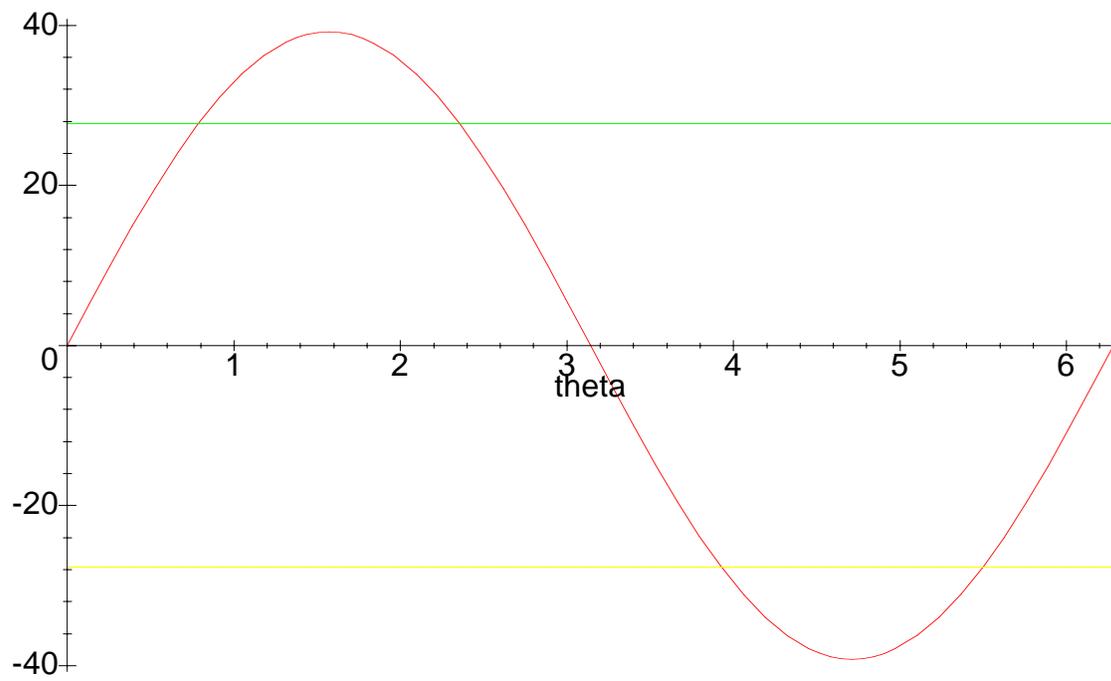
```
> VYYdc/Vm;
.6758315885 sqrt(2)
```

```
> evalf(VYYdc/Vm);
.9557701981
```

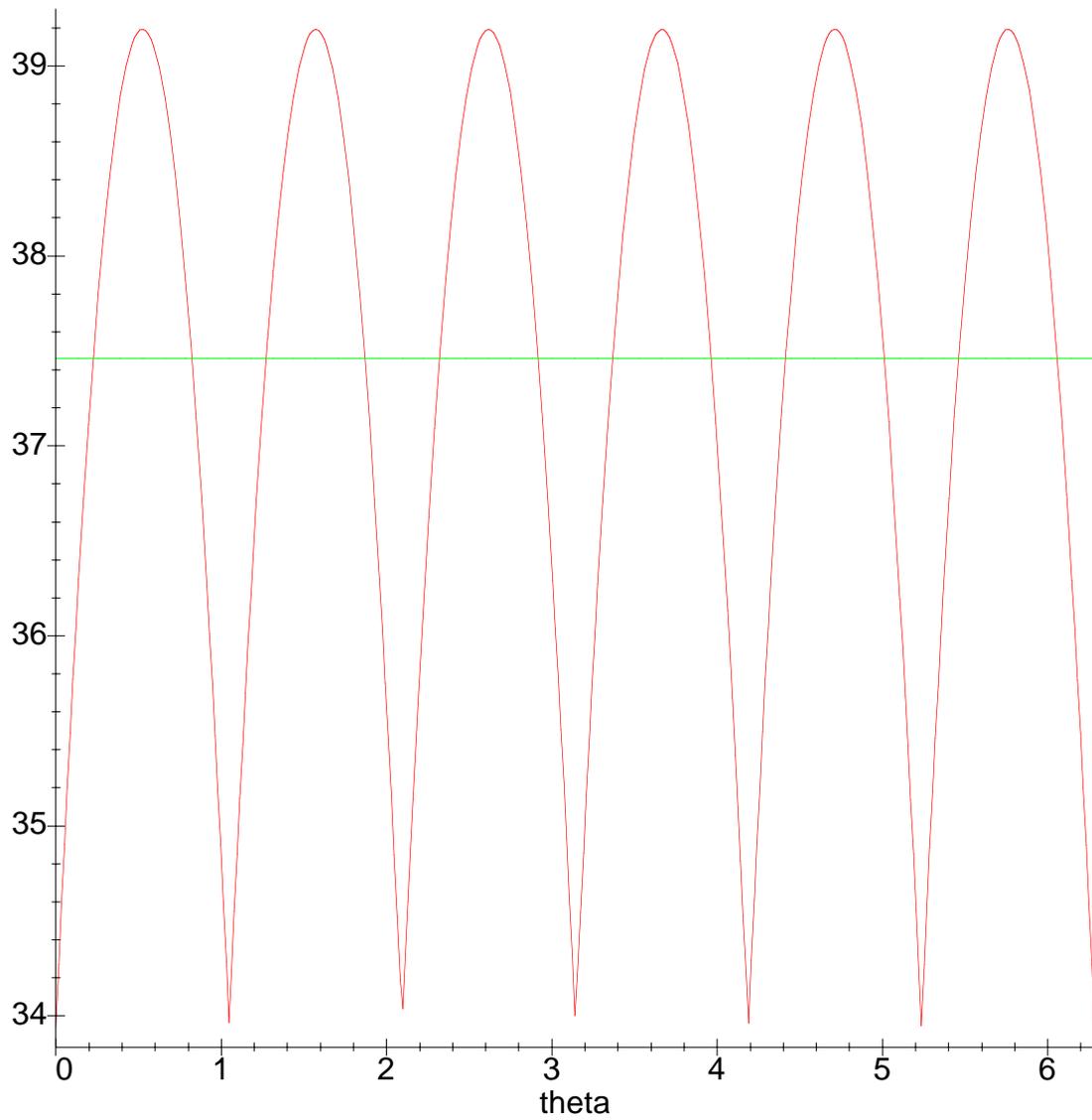
```
> plot([V1, V2, V3, Vrms, -Vrms], theta=0..2*Pi);
```



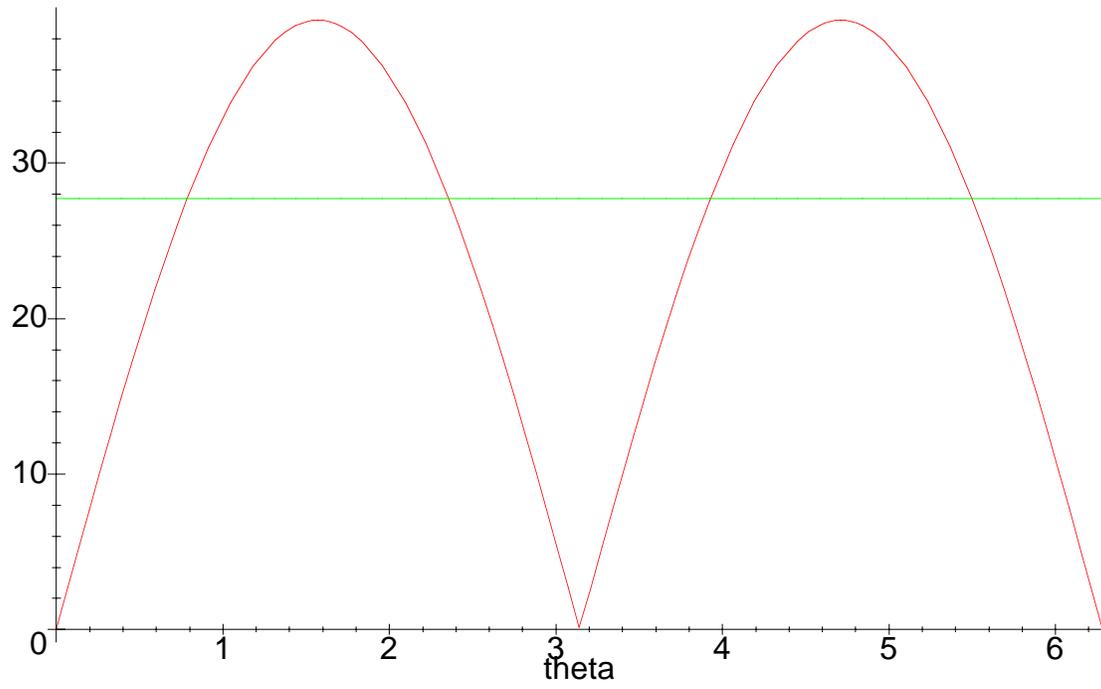
```
> plot([V2-V3,V13,-V13],theta=0..2*Pi);
```



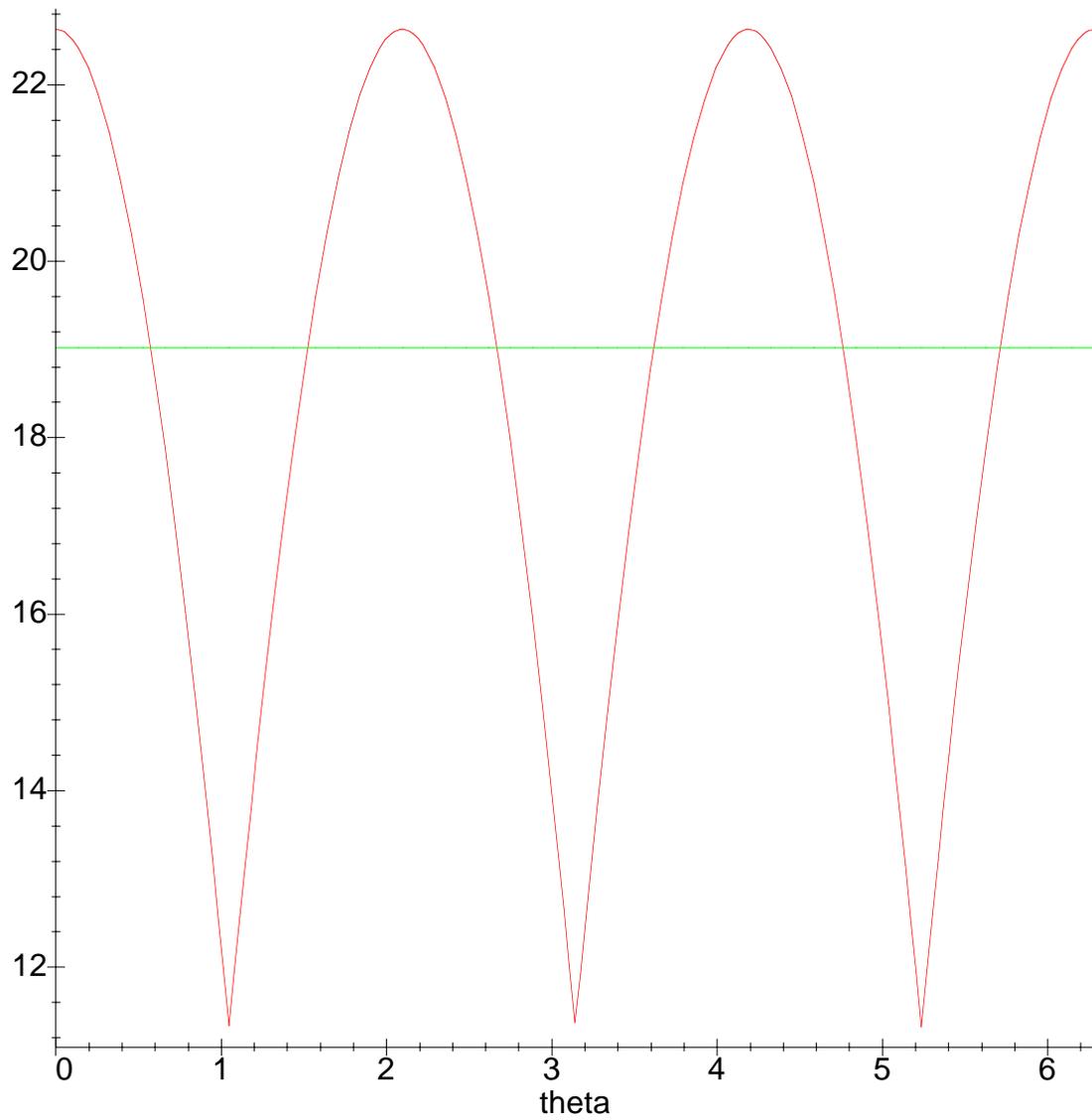
```
> plot ( [max (V1 , V2 , V3) -min (V1 , V2 , V3) , Vdc] , thet  
a=0 .. 2*Pi) ;
```



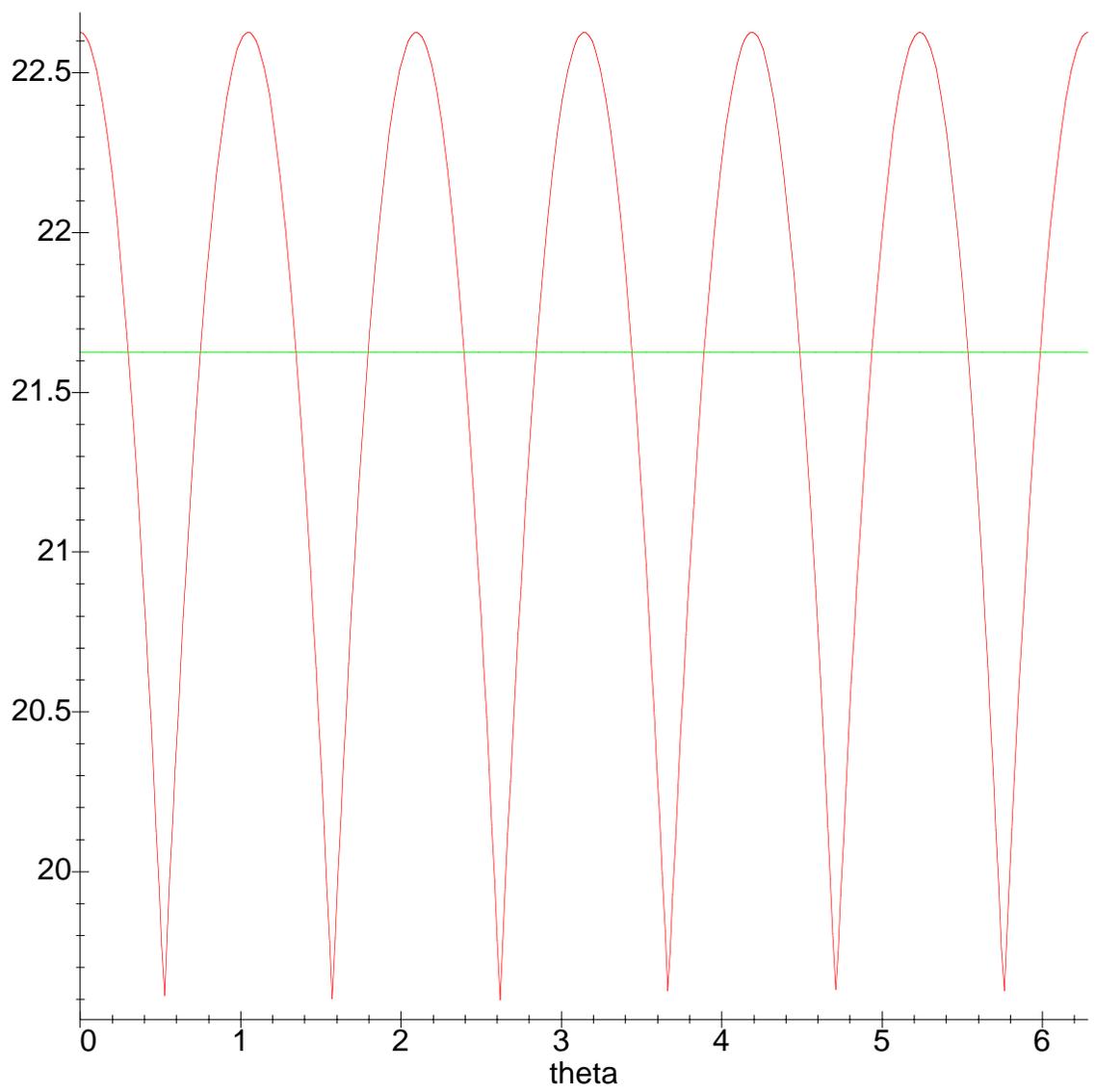
```
> plot([abs(V2-V3), V13], theta=0..2*Pi);
```



```
> plot ( [max (V1 , V2 , V3) , VYdc] , theta=0..2*Pi) ;
```



```
> plot ( [max (abs (V1) , abs (V2) , abs (V3)) , VYYdc] , t  
heta=0 . . 2*Pi) ;
```



[>